## Homework Assignment \#2

## Note

This assignment is due $2: 10 \mathrm{PM}$ Wednesday, October 3, 2012. Please write or type your answers on A4 (or similar size) paper. Drop your homework by the due time in Yih-Kuen Tsay's mail box on the first floor of Management College Building 2. Late submission will be penalized by $20 \%$ for each working day overdue. You may discuss the problems with others, but copying answers is strictly forbidden.

## Problems

There are five problems in this assignment, each accounting for 20 points.

1. The following grammar in EBNF is motivated by declarations in C :

$$
\begin{array}{rll}
\langle\text { declaration }\rangle & ::= & \langle\text { type }\rangle\langle\text { declarator }\rangle^{\prime} ; \\
\langle\text { type }\rangle & ::= & \text { int } \mid \text { char } \\
\langle\text { declarator }\rangle & ::= & *^{\prime}\langle\text { declarator }\rangle \\
& & \langle\text { declarator }\rangle^{\prime}\left[I^{\prime} \text { number }{ }^{\prime}\right]^{\prime} \\
& & \left\langle\text { declarator }^{\prime}\left(\prime^{\prime}\langle\text { type }\rangle^{\prime}\right)^{\prime}\right. \\
& & { }^{\prime}\left({ }^{\prime}\langle\text { declarator }\rangle^{\prime}\right)^{\prime} \\
& & \text { name }
\end{array}
$$

Show that the grammar is ambiguous.
2. Rewrite the grammar in Problem 1 so that the new grammar is unambiguous and still generates the same declarations.
3. The dangling-else ambiguity arises if a grammar has the following two productions:

$$
\begin{aligned}
& S::=\text { if } E \text { then } S \\
& S::=\text { if } E \text { then } S \text { else } S
\end{aligned}
$$

Write an unambiguous grammar that generates the same conditionals and matches an else with the nearest unmatched if.
4. The grammar below generates numbers in the binary notation.

$$
\begin{array}{llll}
C & ::= & C & 0|A l| l \\
A & ::= & B & 0 \mid C l
\end{array}|\mid 1
$$

Show that the generated numbers are all multiples of 3 (i.e., divisable by 3 ).
5. Show that all multiples of 3 are generated by the grammar in Problem 4.

